

CS4092

Thursday 9<sup>th</sup> January 2014

## Lecture 1: Case Study - SoloSnap

### Shuffle Deck

- Deal Cards one by one until either
  - o Snap - Player wins
  - o run out of cards - Player loses.

### - 3 Classes

- o Card
- o Deck of Cards
- o SoloSnap

### Left-Justified Array

Achieve accurate guarantee. Random, then choose 10 times the number of items (eg cards) so hand size.

/r Kieran / cs2504

website

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## Lecture 2 $\hat{=}$ Abstract Data Types

Abstraction  $\hat{=}$  idealised model that provides a simplified conceptual model that cloaks a more complex underlying reality.

eg. DVD player  $\hat{=}$  plays movies, supports behaviours  $\rightarrow$  play, pause, stop, eject etc.  
End user view, don't have to know about how it does it, just how to use it.

The Stack  $\hat{=}$  - Push, Pop, LIFO  
eg cafeteria trays  $\equiv \begin{matrix} \text{---} \\ \text{---} \\ \text{---} \end{matrix} \rightarrow c, b, a$

elt Type = refers to the type of the items (int, string, etc)

stk.push(num); /\* add to stack \*/  
stk.pop(); /\* remove from stack \*/

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ADT Queue  $\rightarrow$  FIFO  $\rightarrow$  disciplined ~~queue~~ queue  
2 ended  $\rightarrow$  added at back  $\rightarrow$  removed at front.

- $\Delta$  enqueue (o): insert item o at rear of queue
- $\Delta$  dequeue (o): remove and return item at front of queue  
illegal if queue is empty.

size ()

isEmpty ()

front (): return but do not remove

Java Example

{

```
QueueOfInt q = new QueueOfInt (); int sum;
for (num = 1; num <= 6; num++)
```

{

```
    SOPx - ("Enqueuing" + num);
```

```
    q.enqueue(num);
```

}

```
while (!q.isEmpty())
```

{

```
    num = q.dequeue();
```

```
    SOPx - ("Dequeuing" + num);
```

}

}

(SOP<sup>x</sup> = System.out.println)

## Pseudo Code

- Setting up the circle (numbered players)  
for  $i \leftarrow 1$  to  $n$  do  
    circle.enqueue( $i$ )
- Passing the ball clockwise once  
    circle.enqueue(circle.dequeue())
- Remove the victim (ball holder)  
    circle.dequeue()
- Determining the last (only) man standing  
    circle.front()

for (int  $i = 1$ ,  $i \leq$  circleSize;  $i++$ )  
for ( $i \leftarrow 1$  to  $n$  do) } same

Look out for clean solutions instead of most obvious!



paren Stack

## Postfix

1 + 2

standard "Infix"

1 2 +

operator after value / subexpression - Postfix

(STACK Example)

1 + 2

1 2 +

1 2

1 + 2 + 3

1 2 + 3 +

3 + 1 2 3

1 \* 2 + 3

1 2 \* 3 + 4 +

+

(1 + 2) \* 3

1 2 + 3 \*

1 5

4 - 1 5 4

first

-

1 1

1, 2, 3 etc operand

"-", "+", "\*", "/" etc operator

The stuff on the stack are intermediate results.

They stay on the stack until we need them.

Token - constituent part eg operands or/and operators

## Expr Scanner

- hasNext()

- next()

- currTok (number or 4 operators)

→ if (+) else if (-) else if (\*) else if (/) else . operator

↓

↓

↓

↓

Stack  
PUSH

Stack  
PUSH

Stack  
PUSH

Stack  
PUSH

If operator pop 2 items from stack, second opnd first opnd.

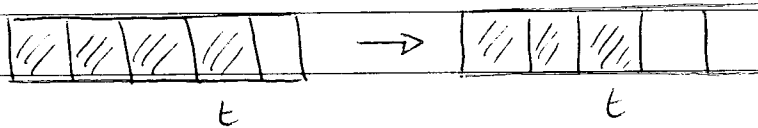
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size ()	return t + 1
isEmpty ()	return (t < 0)
top ()	return S [t]

S = Stack  
t = top

pop ()



```

pop ()
e ← S[t]    /* whatever is on top of the stack, put in e */
t ← t - 1   /* Decrement t by 1 */
return e    /* Return the item stored in e */

```

```

push (o);   /* o is the item we are adding */
t ← t + 1   /* increment t by 1 */
S[t] ← o    /* Put item in new stack top */

```

```

public int pop ()
{
    int elt = theKIts [top]
    top -- ;
    return elt;
}

```

```

public void push (int element)
{
    top ++ ;
    theKIts [top] = element;
}

```

// Other methods

```

public static final int CAPACITY = 100,
private int capacity;
private int theKIts [];
private top = -1;

```





Then we simply point  $s$  to the new array.

```
if (this->size() == capacity) // Array is full.
```

New Array

```
int temp[] = new int [2 * capacity];
```

```
for (int i = 0; i < capacity; i++)
```

```
temp[i] = theKth[i];
```

```
}
```

Setting the Kth to new array

```
theKth = temp;
```



Point to  
the new array!

```
capacity = 2 * capacity
```

```
}
```

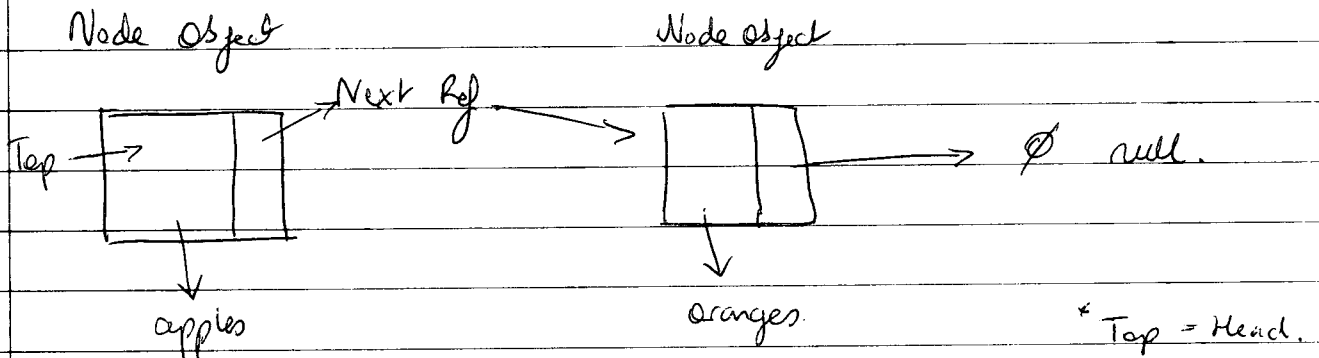
```
top++;
```

```
theKth[top] = element;
```

```
}
```

Doubling the size of the array has a far cheaper cost than just adding a new item to the stack, i.e. stack capacity + 1 (repeat, repeat, repeat...)

linked lists  $\propto$  ADT's Stack and Queue.



The nodes linked together give us a node list container  
 Manipulation is possible i.e. add to list, remove from list.

Must have a separate var to manage list length (size)

Push

Node is added to the top of the stack / list.

Pop

Node is removed from the top of the stack / list.

```

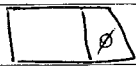
top = null
    |
    v
private LLNode <ElementType> top;
    |
    v
    "    "    "    next;
    
```

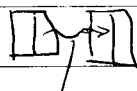
Pg 7/22  
 These two together set up the list.  
~~add to~~ next setter + getter

When some node is popped from the container, it gets garbage collected at some stage.

## ADT Queue

A queue can be manipulated from either the front or rear (head or tail) so we need to keep track of both the head and tail in our program i.e. FIFO / LIFO.

Tail always points to NULL: 

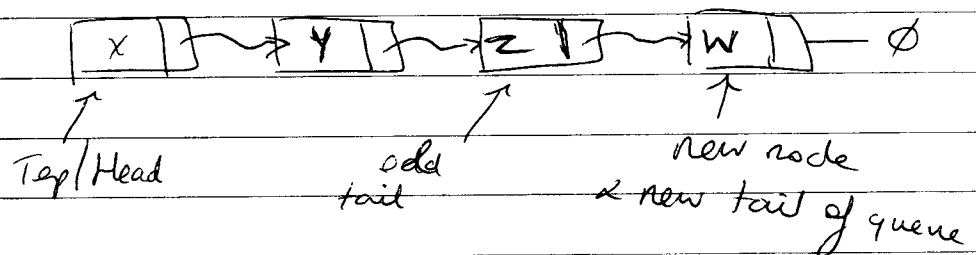
Head always points to the next node in the queue: 

Head Next

points

## Enqueue

As a queue works on the principle of adding items to the end of a queue (FIFO)



## Dequeue

Remove the front item (top) so this is easier than enqueue.

## Implementation

```
head = null;  
tail = null;  
size = 0;
```

node = setNext(null) - because this new node is the last node it should be set to null (ie reference null as it points to no other node.)

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## Lecture 12: Reasoning About Recursive Algorithms

### △ Proposition

For all  $n \geq 1$

$\text{sum}(n)$  returns the sum of the first  $n$  natural numbers

### △ Proposition

For all  $n \geq 1$ ,  $\text{fib}(n)$  returns  $f_n$  (the  $n^{\text{th}}$  Fibonacci number)

### ○ IH = Inductive Hypothesis

By IH  $\text{fib}(n')$  returns  $f_{n'}$  for all  $n' < n$

For example: consider  $\text{fib}(n)$ :  $\text{fib}(n-2)$  returns  $f_{n-2}$

Algorithm Computation